Describe what it means for a figure to be **symmetric**.

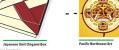


COMMON CORE STATE STANDARDS		
Applied	Developed	Introduced
8.G.2	G.CO.2	
8.G.3	G.CO.3	
G.CO.4	G.CO.6	

- 6.1 Symmetry and Transformations
- a. I can use rigid transformations to describe symmetry (reflectional, rotational and translational). b. I can identify the line of symmetry and point of symmetry.









If a figure can be reflected over a line in such a way that the resulting image coincides with the original, then the figure has reflectional symmetry. The reflection line is called the line of symmetry. The rug shown has two lines of symmetry, thus two-fold reflectional symmetry.



 $\label{lem:Reflectional Symmetry: A line that can be drawn through a figure so that one half of $$ Reflectional Symmetry: $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a figure so that one half of $$ A line that can be drawn through a line that can be drawn through the solution of $$ A line through the line that can be drawn through the line through the line that can be drawn through the line through the line through the line through t$

the figure is a reflection of the other half.

Line of

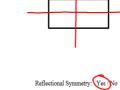
Symmetry: The line of reflection in a figure with reflectional symmetry.

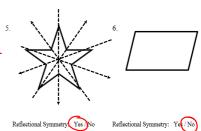
Determine whether the following have Reflectional Symmetry. If yes, draw the line(s) of symmetry.



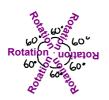












Rotational Symmetry: A figure can be rotated a certain angle measurement about a

point such that its rotated image coincides with the original before rotating a full 360°.

Symmetry: The point that a figure with rotational symmetry is rotated about.

Order: The number of times a figure fits onto itself in one complete rotation.

Magnitude: The smallest angle measurement needed to rotate a figure so it coincides with the original.

Order: 5 Magnitude: 72



Discuss with your partner/group how to find the order and magnitude of a figure with rotational symmetry.

 $To \ find \ order... \hspace{0.5cm} \text{See how many times the figure can rotate onto itself within 360}^{\circ}.$

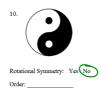
To find magnitude... Divide 360° by the order.

Determine whether the following have Rotational Symmetry. If yes, indicate the point of symmetry and state the order and magnitude







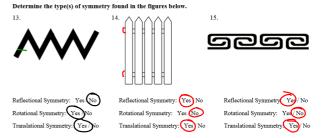






TranslationTranslationTranslation

 $\label{thm:constraints} Translational \ Symmetry: \ {\it The result of sliding a design repeatedly by the same}$ distance and direction.



Vertical - 1
Horizontal - ---

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Homework: 6.1 Symmetry Homework